

# Capacitive sensors

A capacitive sensor uses changes in **capacitance** to indicate changes in its environment. Recall that a capacitor stores energy in an electric field between two conducting plates separated by an insulating medium. The capacitance is

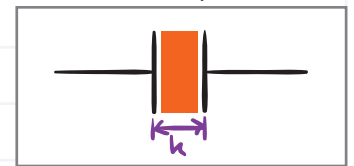
where

$\epsilon_0$  is the **permittivity of free space** ( $\epsilon_0 = 8.85 \times 10^{-12} \text{ F/m}$ ),

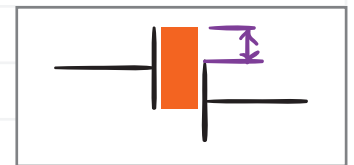
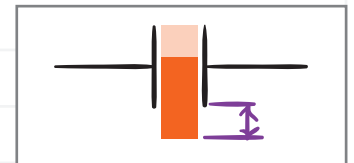
$\epsilon$  is the **relative permittivity** of the insulator,

$A_{cp}$  is the plate **area**, and

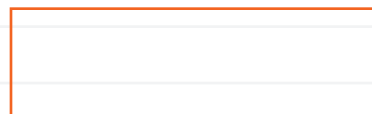
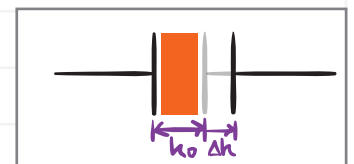
$h$  is the plate **separation**.



$\epsilon$  can be varied by arranging the capacitor such that the insulating medium is laterally displaced (partially outside the plates) such that the effective relative permittivity between the plates varies.



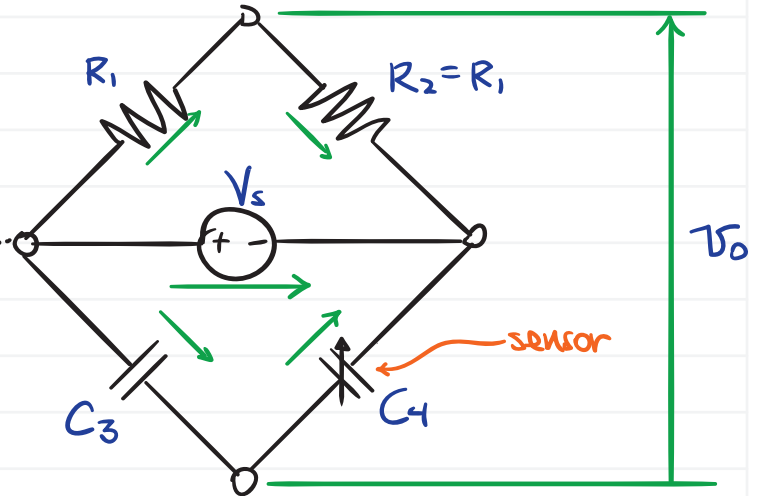
$h$  can be varied directly. This is the most common type of capacitive sensor, called a **variable spacing** capacitive sensor. If  $\epsilon$  and  $A_{cp}$  are constant, changes in  $h$  are related to changes in capacitance by



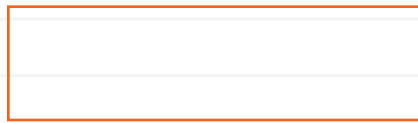
where  $C_0 + h_0$  are a reference capacitance + a reference spacing.

## Capacitive (variable spacing) displacement indicator

Capacitive displacement sensors are used with wheatstone bridge transducers to measure small displacements.

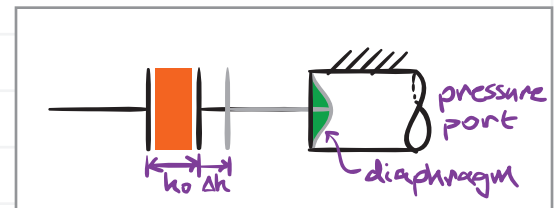


If  $\Delta C \ll C_0$ ,  $v_0 = v_s \left( \frac{\Delta C}{4C_0} \right) = -v_s \frac{\Delta h}{4h_0}$ . This implies



## Capacitive (variable spacing) pressure transducer

With one plate fixed and the other responding to changes in pressure  $\Delta p = p - p_0$ ,



When used with the capacitive wheatstone bridge above,  $\left( \frac{\Delta C}{C_0} = 4 \frac{\Delta h}{h_0} \right)$

